The Role of Investment in Entry-Deterrence

(Avinash Dixit 1980)



Bain Sylos: entrant assumes established firm doesn't change production level so Stackelberg duopoly (sort of). Problems: predatory pricing – accommodating strategy

Schelling (1960): a costly threat can be credible

Spence (1977): an irrevocable investment decision by the incumbent could be a credible commitment

The model

post-entry rules are exogenous

First mover advantage: the incumbent firm can change the initial condition to improve its competitive position

Hypothesis

- Lags are ignored
- Sequential game in two steps (not repeated)
- Constant stream of profits
- Simplified production costs:

$$\mathbf{C}_{i} = f_{i} + w_{i} x_{i} + r_{i} k_{i}$$

Revenue:

$$R^i = (x_1, x_2)$$

Rules of the game (1)

- firm (1) choose k_1
- if $x_1 \le k_1$ total costs will be: $C_1 = f_1 + r_1 \overline{k_1} + w_1 x_1$ if $x_1 > \overline{k_1}$ total costs will be:

 $C_1 = f_1 + (w_1 + r_1)x_1$

Rules of the game (2)

firms (2) «buy» for any x₂ a productive capacity k₂:

$$C_2 = f_2 + (w_2 + r_2)x_2$$

Marginal cost and revenue curves firm (1)



Reaction function (kinked) firm (1)



post entry game eqilibria (1)



post entry game equilibria (2)

If $k_1 \leq T_1$ equilibrium T (Nash-Cournot)

If $k_1 \ge V_1$ equilibrium V (Nash-Cournot)

If $T_1 \le k_1 \le V_1$ firm (1) produces $x_1 = k_1$ and firm (2) will act as a follower in Stackelberg

Classification of outcomes (1)

Either firm (2) will enter or not, firm (1) will procuce $x_1 = \overline{k_1}$

Firms profit functions:

$$\pi_i(x_1, x_2) = R^i(x_1, x_2) - f_i - (w_i + r_i)x_i$$

Classification of outcomes (2)



Classification of outcomes (3)

- **Case 1:** $\pi_2(T) < 0$
- Firm (2) doesn't enter
- Firm (1) act as a monopolist with productive capacity and output M₁

Classification of outcomes (4)

- Case 2: $\pi_2(V) > 0$
- Firm (1) cannot prevent entry
- Firm (1) will lock for the best duopoly equilibrium

Classification of outcomes (5)

• Case 3:
$$\pi_2(T) > 0 > \pi_2(V)$$

There is a point in TV, $B = (B_1, B_2)$ where $\pi_2(B) = 0$

B₁ is a capacity level that can be considered a barrier to entry

Classification of outcomes (6)

Sub case i:

- B₁<M₁ the optimal choice of the Incumbent / monopolist is enough to stop entry
- B₁>M₁ firm (1) can deter entry only with a high capacity level compared with the one that a monopolist would choose.

Classification of outcomes (6)

Sub case ii $\pi_1(S) < \pi_1(B_1, 0)$ it is better to deter entry choosing output in B₁

Sub case iii $\pi_1(S) > \pi_1(B_1, 0)$ it is better to allow entry

Conclusions

An investment commitment can deter entry and change the initial conditions giving advantages to firm (1)

Spence strategy not always possible(1977)

Models has to adapted to real world